Convert the isometric drawing into a foundation drawing


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## Representations of Three Dimensional Figures

3-D Figure Isometric Drawing Orthographic Drawing Foundation Drawing


| TERM: | DEFINITION | Sketch |
| :--- | :--- | :--- |
| Net | A two dimensional drawing <br> of a three dimensional <br> object |  |
| Face | The polygons that form a <br> three dimensional object. |  |
| Base | Two congruent, parallel <br> faces |  |
| Base edges | The segments that form the <br> bases. |  |
| Lateral <br> edges | The segments that connect <br> the bases. They are part of <br> the lateral faces. |  |
| Vertex | The corners of the three <br> dimensional object. |  |

## Three-Dimensional Figures

TERM
A prism is formed by two parallel congruent polygonal faces called bases connected by faces that are parallelograms.

## EXAMPLE

A cylinder is formed by two parallel congruent circular bases and a curved surface that connects the bases.

A pyramid is formed by a polygonal base and triangular faces that meet at a common vertex.

A cone is formed by a circular base and a curved surface that connects the base to a vertex.



## Formulas

Diagonal of a Rectangular Prism: $d=\sqrt{l^{2}+w^{2}+h^{2}}$
Distance Formula: $d=\sqrt{\left(x_{2}-x_{1}\right)^{2}+\left(y_{2}-y_{1}\right)^{2}+\left(z_{2}-z_{1}\right)^{2}}$
Midpoint Formula: $\quad M=\left(\frac{x_{1}+x_{2}}{2}, \frac{y_{1}+y_{2}}{2}, \frac{z_{1}+z_{2}}{2}\right)$
Euler's Polyhedron Formula: $V-E+F=2$

## Prisms:

- Lateral Area: $L A=P h \quad$ or add areas of all lateral faces
- Total Area: $T A=P h+2 B$ or add areas of all faces
- Volume: $V=B h$


## Cylinders:

- Lateral Area: $L A=2 \pi r h$
- Total Area: $T A=2 \pi r h+2 \pi r^{2}$
- Volume: $V=B h$ or $V=\pi r^{2} h$

