## Unit 17 Fact Sheet

## Topic \#1: Circle Basics

| Term | Definition |
| :--- | :--- |
| Circle | A set of points that are a fixed distance from a given <br> point, the center. |
| Chord | A line segment with its endpoints on the circle. |
| Secant | A line that intersects a circle at two points and <br> extends into the exterior of the circle. |
| Tangent | A line that intersects a circle at one point. |
| Central Angle | An angle whose vertex is at the center. |
| Arc | A part of the circumference of a circle. Its measure is <br> equal to the measure of the central angle. |
| Semicircle | An arc with a measure of $180^{\circ}$. <br> Named with three letters. |
| Minor Arc | An arc whose measure is $<180^{\circ}$. <br> Named with two letters. <br> Major Arc |
| An arc whose measure is $>180^{\circ}$. <br> Named with three letters. |  |
| Man |  |

## Topic \#2: Arc Length and Sector Area

Arc Length $\frac{\text { arc length }}{\text { circumference }}=\frac{x^{*}}{360^{\circ}}$

## Area of Sector $\frac{\text { sector area }}{\text { area of circle }}=\frac{x^{0}}{360^{\circ}}$



## Topic \#3: Arcs and Chords

## In the same or congruent circles



Congruent arcs have congruent chords.

$$
\text { If } \overparen{A B} \cong \widehat{C D} \text {, then } \overline{\mathrm{AB}} \cong \overline{\mathrm{CD}}
$$



Congruent chords are equidistant from the center.

$$
\text { If } \overline{\mathrm{AB}} \cong \overline{\mathrm{CD}} \text {, then } \overline{\mathrm{PS}} \cong \overline{\mathrm{PT}}
$$

## Diameter Perpendicular to a chord



A diameter (or radius) that is perpendicular to a chord bisects the chord and its arcs.

If $\overline{\mathrm{AB}} \perp \overline{\mathrm{CD}}$, then $\overline{\mathrm{CE}} \cong \overline{\mathrm{ED}}, \overparen{\mathrm{CB}} \cong \overparen{B D}$, and $\overparen{\mathrm{CA}} \cong \overparen{\mathrm{DA}}$

## Topic \#4: Tangents

## Radius and Tangent Meet



> If a line is tangent to a circle, then it is perpendicular to the radius drawn to the point of tangency.

## Tangents drawn from a common point are $\cong$.


$\overline{\mathrm{CD}} \cong \overline{\mathrm{DE}}$

