

Unit #7 Similarity Facts

Topic #1

Similar Polygons: Two polygons are similar if their vertices can be paired so that

- 1) corresponding angles are congruent
- 2) corresponding sides are proportional

Similarity Ratio: The ratio of corresponding sides based on the similarity statement (small:big or big:small)

Perimeter Ratio: Will always equal the similarity ratio

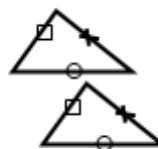
Scale Factor: What you multiply to create a new figure

Triangles are similar by.....

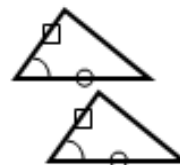
AA Similarity: If two angles of one triangle are congruent to two angles of another triangle, then Δ 's are \sim



SSS Similarity: If the measure of the corresponding sides of two triangles are proportional, then Δ 's are \sim



SAS Similarity: If the measure of two sides of a triangle are proportional to the measure of two corresponding sides of another triangle, and the included angles are congruent, then Δ 's are \sim



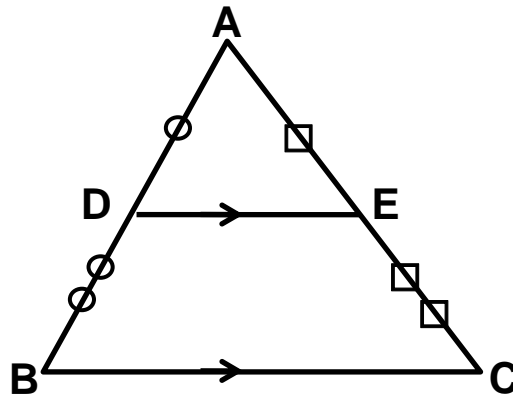
Topic #2

Triangle Proportionality Theorem

$DE \parallel BC$

If \parallel lines \rightarrow
segments
proportional

$$\frac{AD}{DB} = \frac{AE}{EC}$$



TRIANGLE MIDSEGMENT THEOREM:

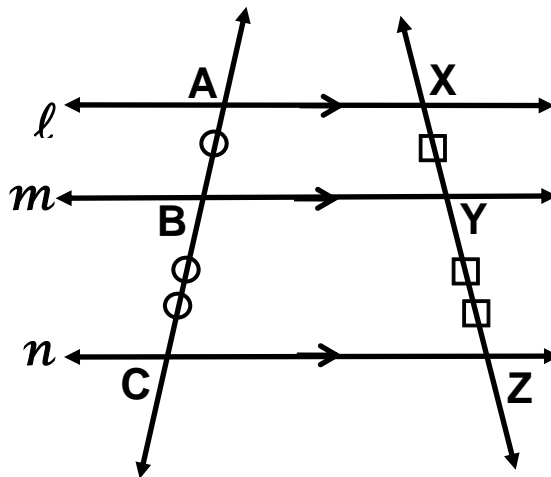
If D and E are midpoints then, $2(DE) = BC$

Parallel Proportional Segment Theorem

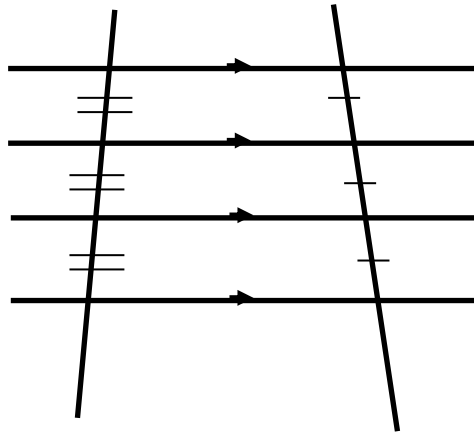
$l \parallel m \parallel n$

If \parallel lines \rightarrow
segments
proportional

$$\frac{AB}{BC} = \frac{XY}{YZ}$$



THEOREM: If three or more parallel lines cut off congruent segments on one transversal, then they cut off congruent segment on every transversal.

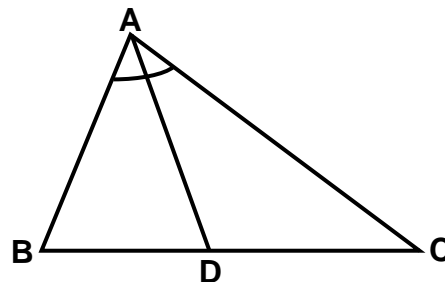


Topic #3 Triangle Angle Bisector Theorem

TRIANGLE ANGLE BISECTOR THEOREM Angle bisectors in a triangle divide the opposite side into segments whose ratio is proportional to the adjacent sides.

$$\frac{\text{Side}}{\text{Side}} = \frac{\text{Adjacent Piece}}{\text{Adjacent Piece}}$$

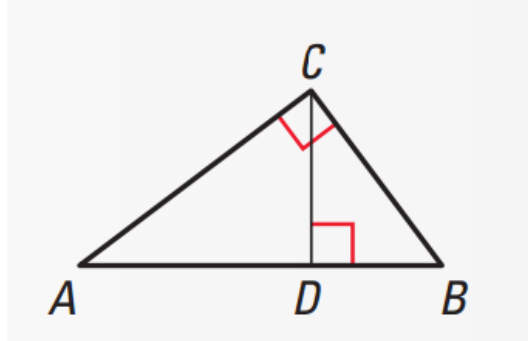
$$\frac{AB}{AC} = \frac{BD}{DC}$$



Topic #4 Right Triangle Similarity

If the altitude is drawn to the hypotenuse of a right triangle, then the two triangles formed are similar to the original triangle and to each other.

- ▲ $CBD \sim \triangle ABC$
- ▲ $ACD \sim \triangle ABC$
- ▲ $CBD \sim \triangle ACD$



In a right triangle, the altitude from the right angle to the hypotenuse divides the hypotenuse into two segments.

- Altitude as the Geometric Mean

$$\frac{\text{Part 1}}{\text{ALTITUDE}} = \frac{\text{ALTITUDE}}{\text{Part 2}}$$

- Leg as the Geometric Mean

$$\frac{\text{Hypotenuse}}{\text{LEG}} = \frac{\text{LEG}}{\text{Part}}$$